1. Introduction

In recent decades there has been increasing interest in the development and application of large scale hydrologic models to support the management of regional water resources as well as for flood forecasting and drought monitoring. However, the reliable prediction of streamflow and other distributed hydrologic states (i.e. soil moisture, evapotranspiration) for large river basins (i.e. drainage area $> 10^5$ km²) requires a robust parameterization technique that avoids scale dependent issues, reduces the over-parameterization problem, and allows the transferability of model parameters to unaguged locations.

2. Objectives

- To assess the performance of the distributed mesoscale hydrologic model (mHM) parameterized with a multiscale regionalization technique (MPR) in large scale river basins located in Europe and US.
- To test the feasibility of transferring *a priori* set of global parameters, estimated in a relatively small basin, to large river basins.
- To analyze the model performance for the cross-scale transferability of global parameters (i.e. to test the ability of mHM-MPR to operate at multiple spatial resolutions).

3. Mesoscale Hydrologic Model (mHM)[2, 1]

mHM is a grid based distributed hydrologic model which is parameterized with a multiscale regionalization technique that explicitly accounts for subgrid variability of basin physical characteristics by linking them to model parameters at much finer spatial resolution (e.g. 100 – 500 m) than the model pixels (> 4 km).



State variable at cell i, time t

f, g system and output functional relationships state variables

- *l*-dimensional output vector
- fields of physiographical and meteorological variables
- unmeasurable stochastic inputs
- system's uncertainty due to measurements defects
- control volume (e.g. river basin)

State equations: cell *i*, time *t*:

 $\dot{\mathbf{x}}_i(t) = \mathbf{f}(\mathbf{x}_i, \mathbf{u}_i, \boldsymbol{\beta}_i) + \boldsymbol{\eta}_i(t) \quad \forall i \in \Omega$

Output: runoff:

$$\mathbf{q}_l(t) = \mathbf{g}(\mathbf{x}, \mathbf{u}, \boldsymbol{\beta})$$

Multiscale parametrization[2]:

$$\beta_{ki}(t) = O_k \Big\langle \beta_{kj}(t) \\ \beta_{kj}(t) = \mathbf{w}_k \Big(\mathbf{u}_j \Big)$$

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β	distributed model parameter
γ	global (or calibration) param
w	transfer or regionalization fu
O	upscaling operators
<i>i</i> , <i>j</i>	cell location indexes at mode

k, t parameter and time indexes

 $+ \epsilon_l(t)$

 $\forall j \in i \rangle$ $(t), oldsymbol{\gamma}$

field eters unction

del grid and sub-grid levels





- Water Resour. Res., p. W05523, 2010.